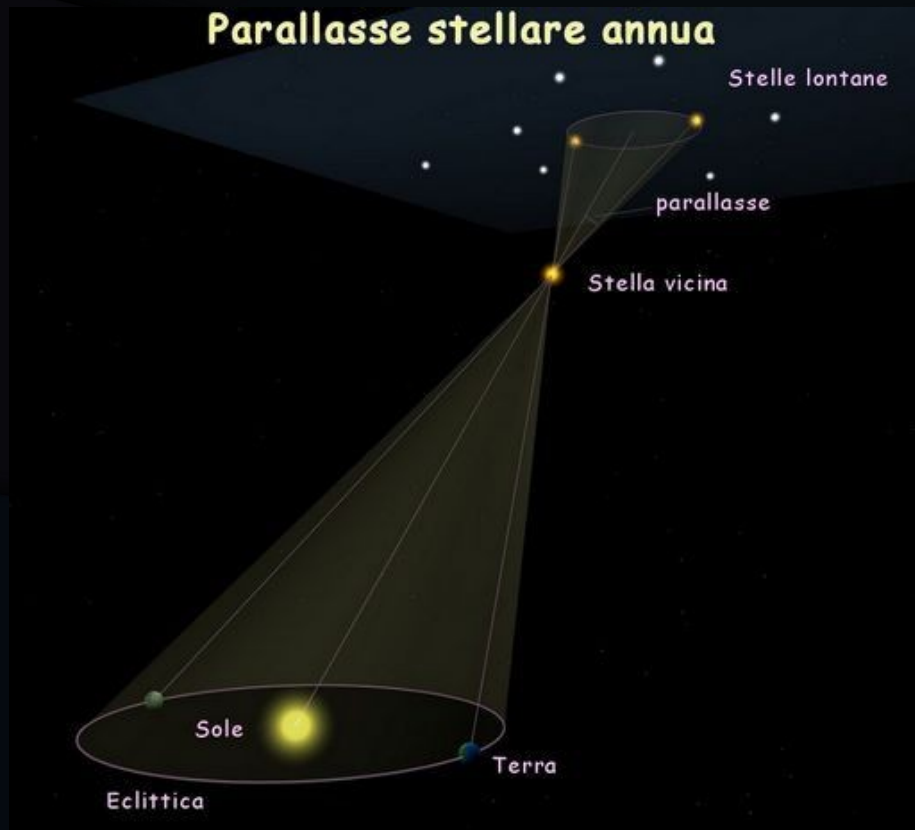


TEMPERATURA E RAGGIO DELLE STELLE



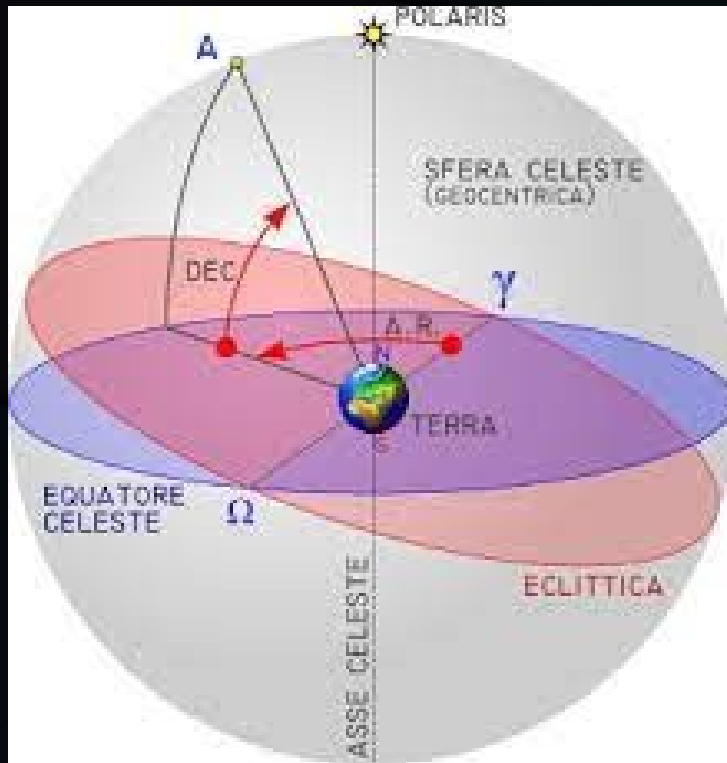
LA PARALLASSE



La parallasse trigonometrica, in campo astronomico, consiste nel cambiamento della posizione apparente di una stella sulla volta celeste a seconda del periodo dell'anno.

Le prime misure di parallasse per corpi al di fuori del sistema solare risalgono al XIX secolo, quando per la prima volta si riuscì a misurare lo spostamento delle stelle più vicine come 51 Cyg e Vega.

ASCENSIONE RETTA E DECLINAZIONE



Le coordinate sono la **declinazione** (δ) e l'**ascensione retta** (α), misurate a partire, rispettivamente, dall'*equatore* verso il Polo celeste (P) e dal *punto* verso Sud. Questo sistema di coordinate si muove, nelle 24 ore, insieme ai corpi celesti ed è indipendente dalla latitudine del luogo.

α si misura in ore, minuti, secondi (di tempo), sono riconducibili ai meridiani terrestri;

δ si misura in gradi, primi, secondi (d'arco), sono riconducibili ai paralleli terrestri.

STELLA

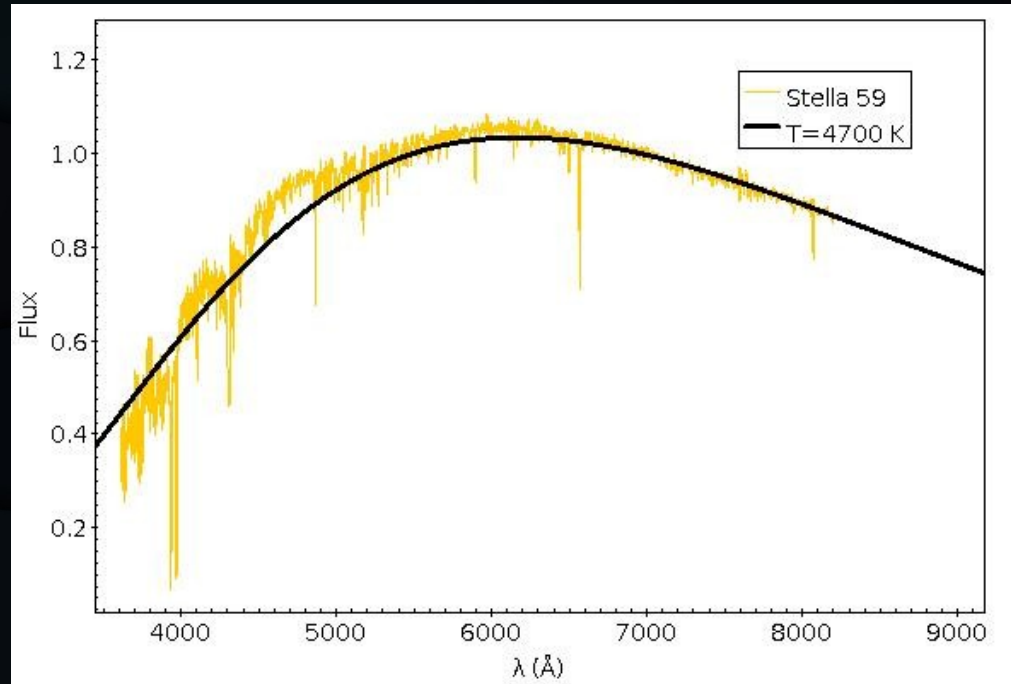
59

39350

SDSS J035406.52-053740.9

58.52718

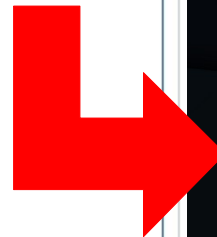
-5.62803





No job id ✕

source_id	ra deg	dec deg	parallax mas
3245246438109948288	58.52719585257493	-5.628023230016234	0.019164717631515567

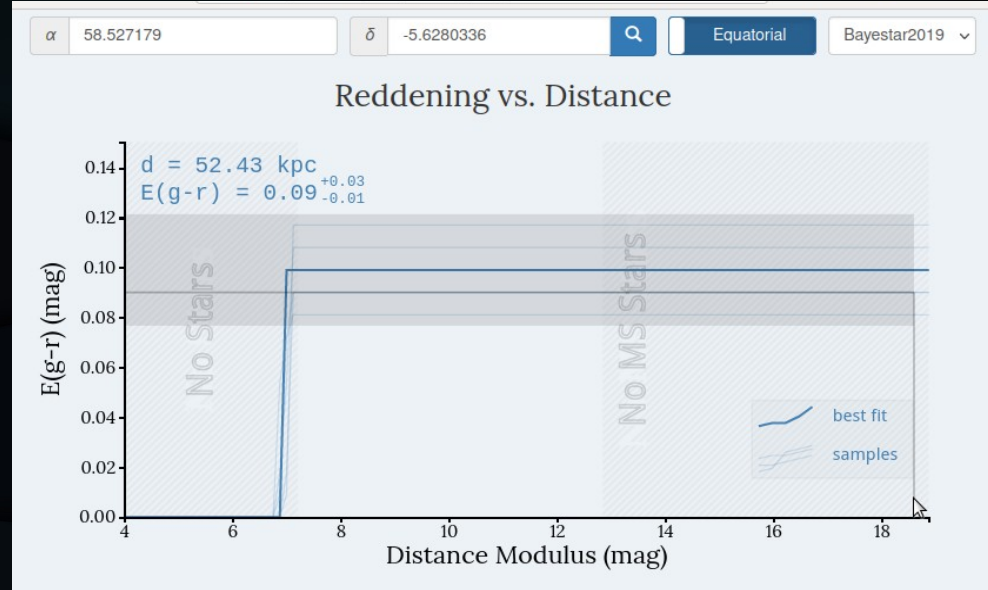


Utilizzando l'archivio Gaia e inserendo le coordinate equatoriali, il sistema ha fornito il valore della parallasse relativa alla stella.

Il reciproco della parallasse indicata permette di ottenere la distanza in kpc.

$$D = \frac{1}{\text{parallax}} \quad (\text{kpc})$$

DUST



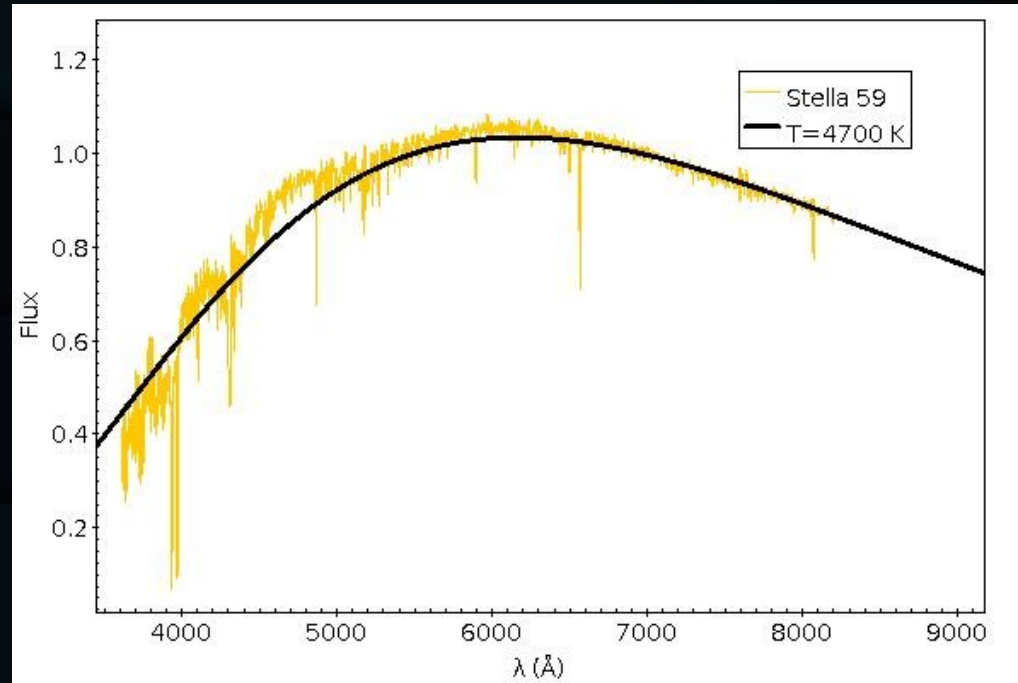
$$A_v \simeq 3.058 \times E(g-r)$$

<https://player.vimeo.com/video/335071965?autoplay=1&loop=1&autoplay=0&byline=0&title=0>

$$A_{\lambda} = A_V \times f_{\lambda}^{\text{CCM}}$$

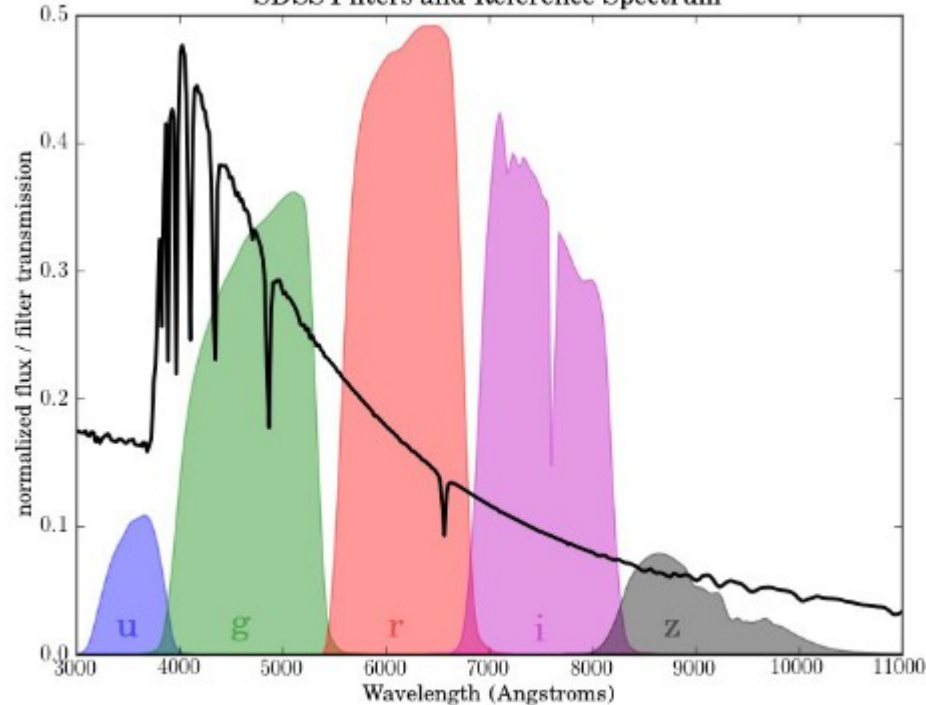
$$I_{\lambda,0} = I_{\lambda} \times 10^{0.4 \times A_{\lambda}}$$

$$B_n(\lambda) = \frac{B(\lambda)}{B(\lambda_0)} = \left(\frac{\lambda_0}{\lambda} \right)^5 \frac{e^{\frac{1.439 \times 10^8}{\lambda_0 T}} - 1}{e^{\frac{1.439 \times 10^8}{\lambda T}} - 1}$$



RAGGIO

SDSS Filters and Reference Spectrum

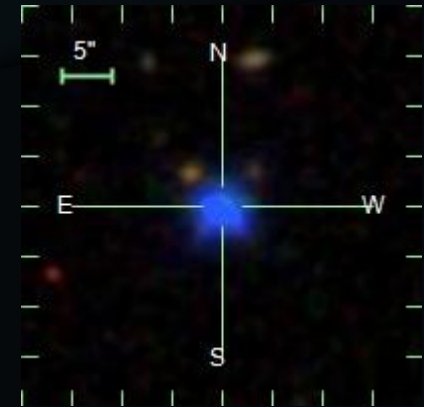
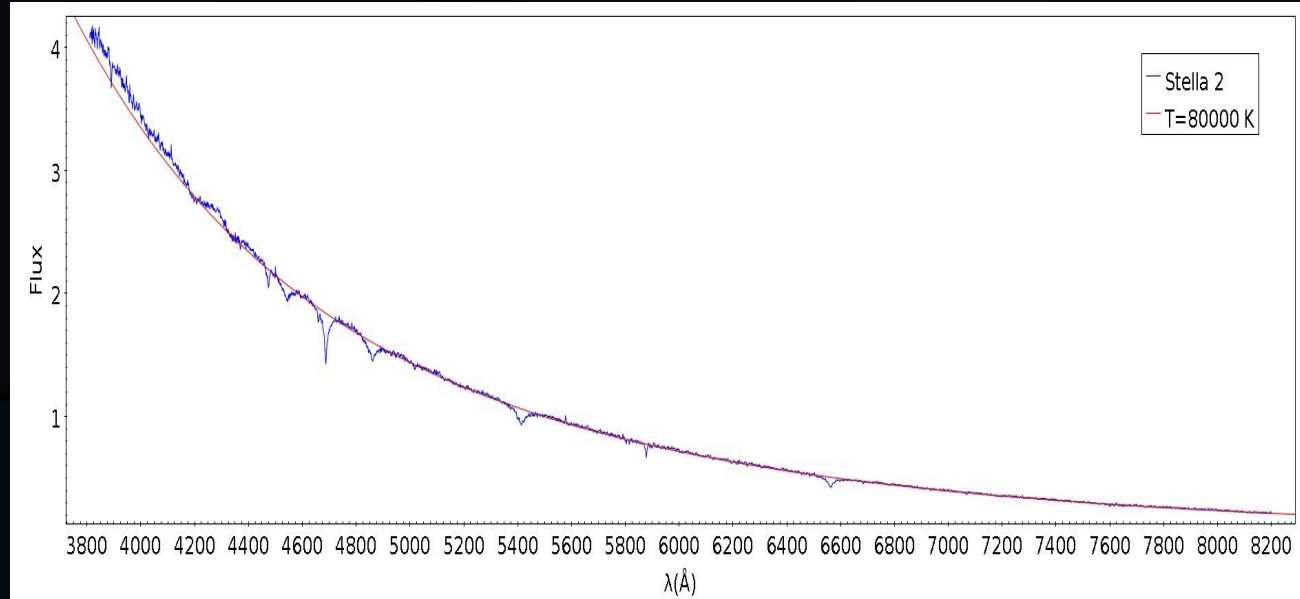


$$M_V = (V - A_V) + 5 - 5 \times \log_{10}(D)$$

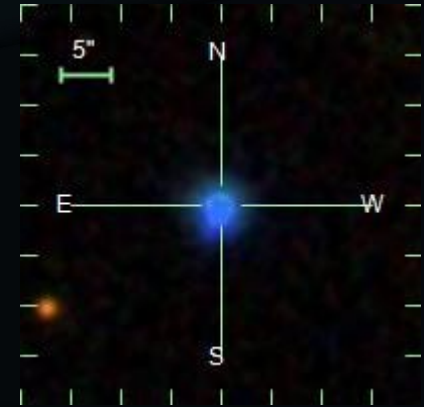
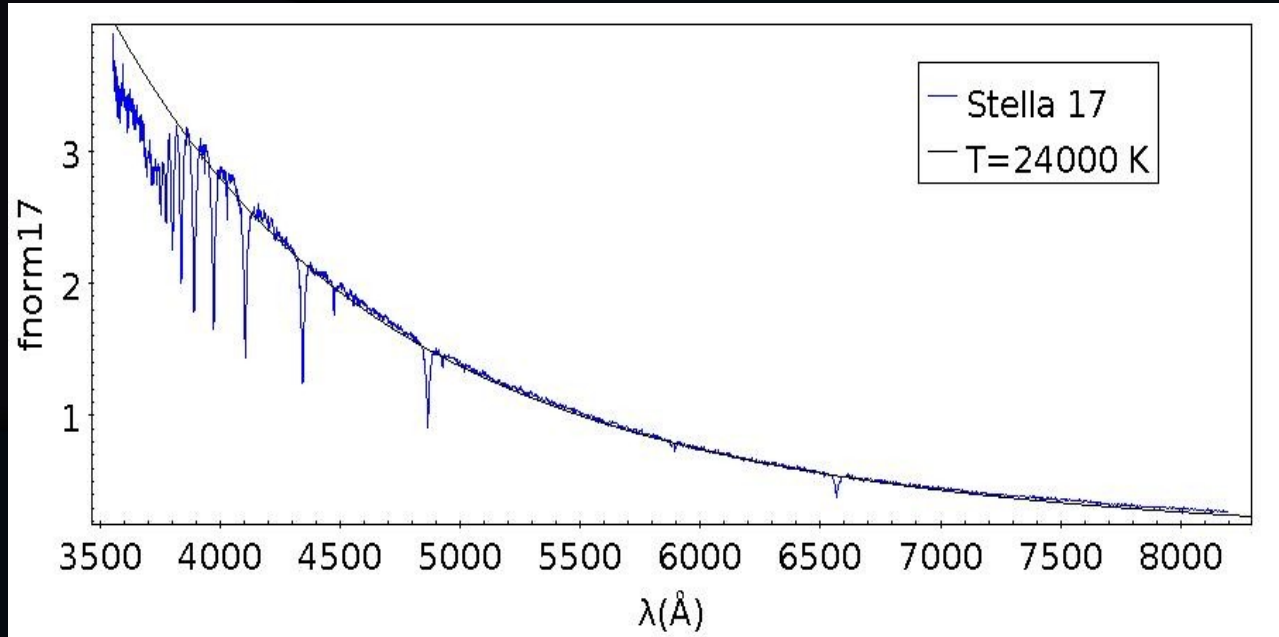
$$\frac{L_{\text{bol}}}{L_{\text{bol}, \odot}} = 10^{-0.4 \times (M_{\text{bol}} - M_{\text{bol}, \odot})}$$

$$\frac{R}{R_{\odot}} = \sqrt{\frac{L_{\text{bol}}}{L_{\text{bol}, \odot}}} \times \left(\frac{T_{\odot}}{T} \right)^2$$

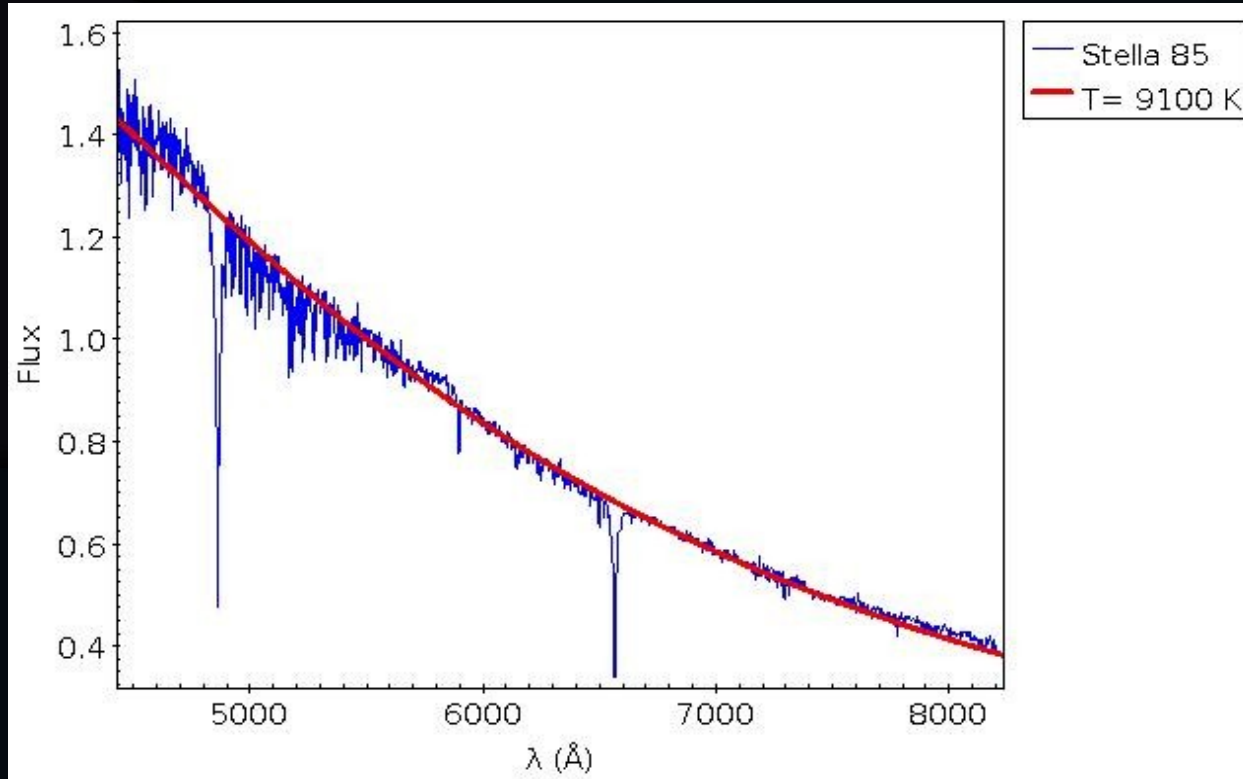
STELLA 2, CLASSE “O”



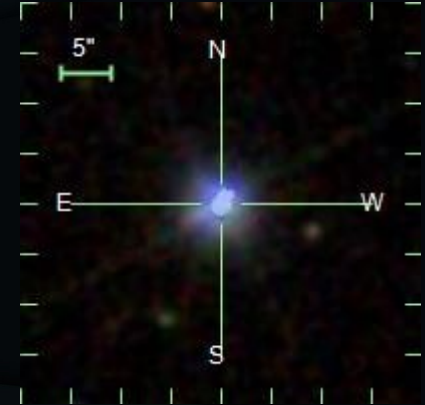
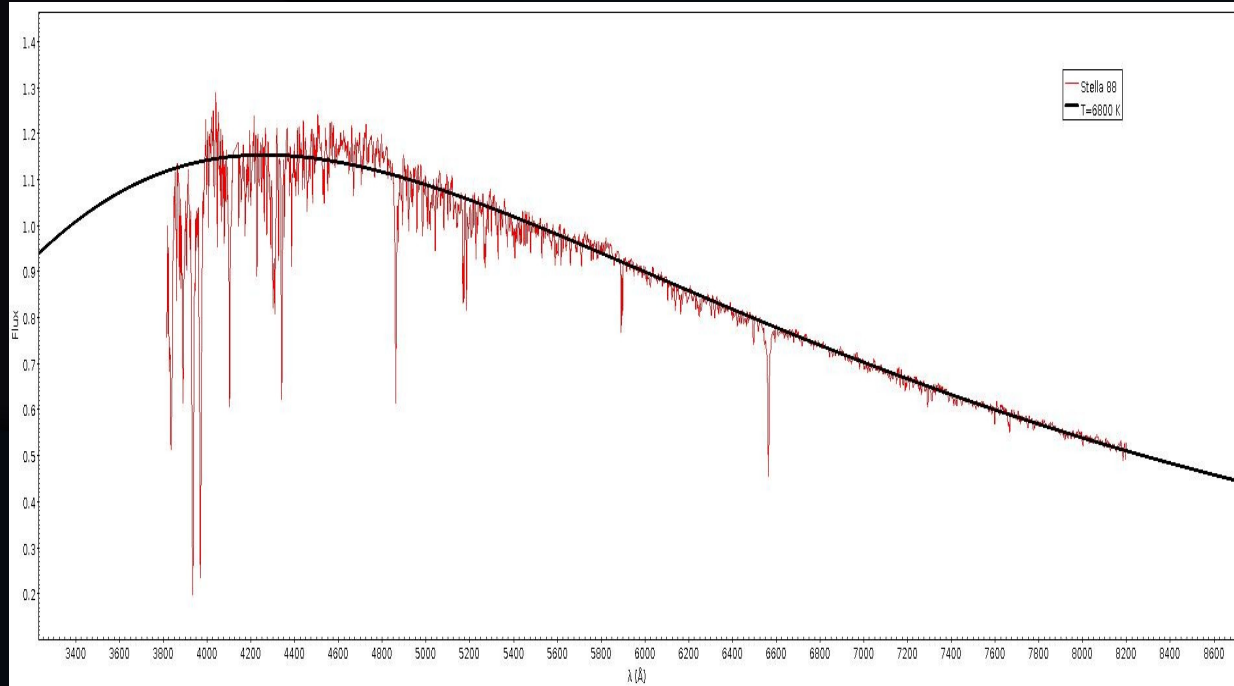
STELLA 17, CLASSE "B3" (V)



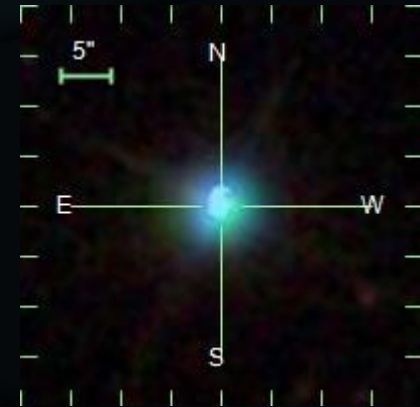
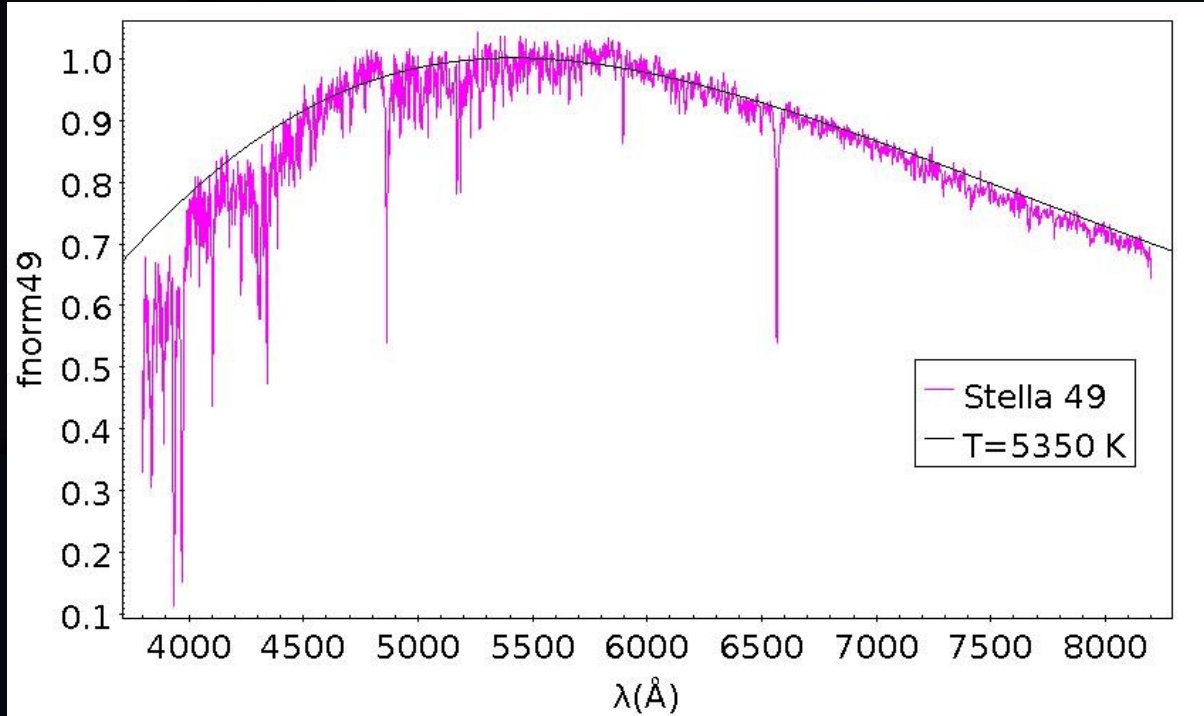
STELLA 85, CLASSE "A0"



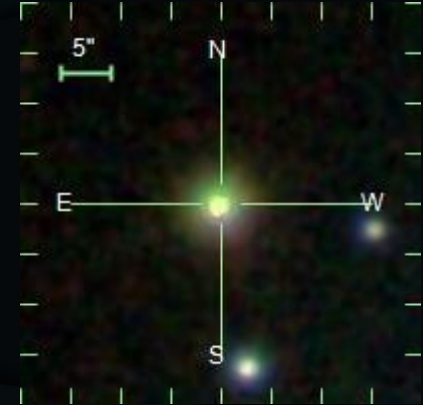
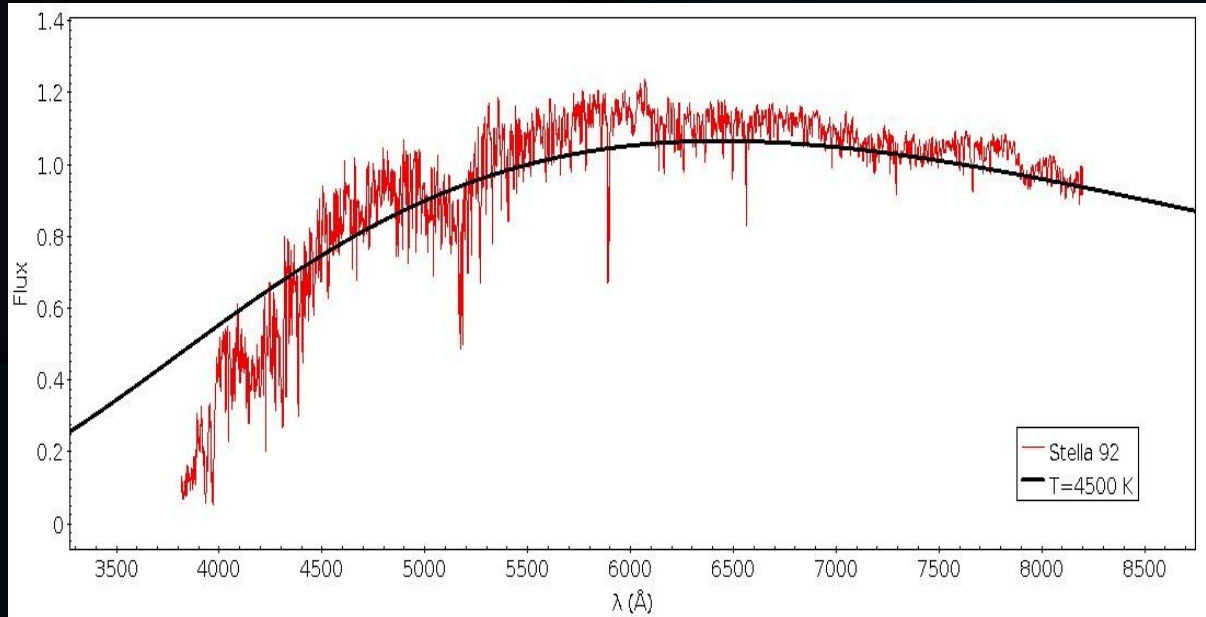
STELLA 88, CLASSE “F2”



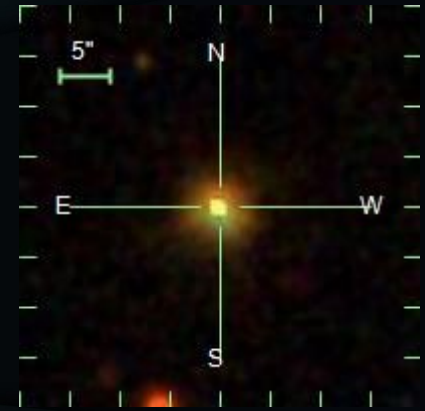
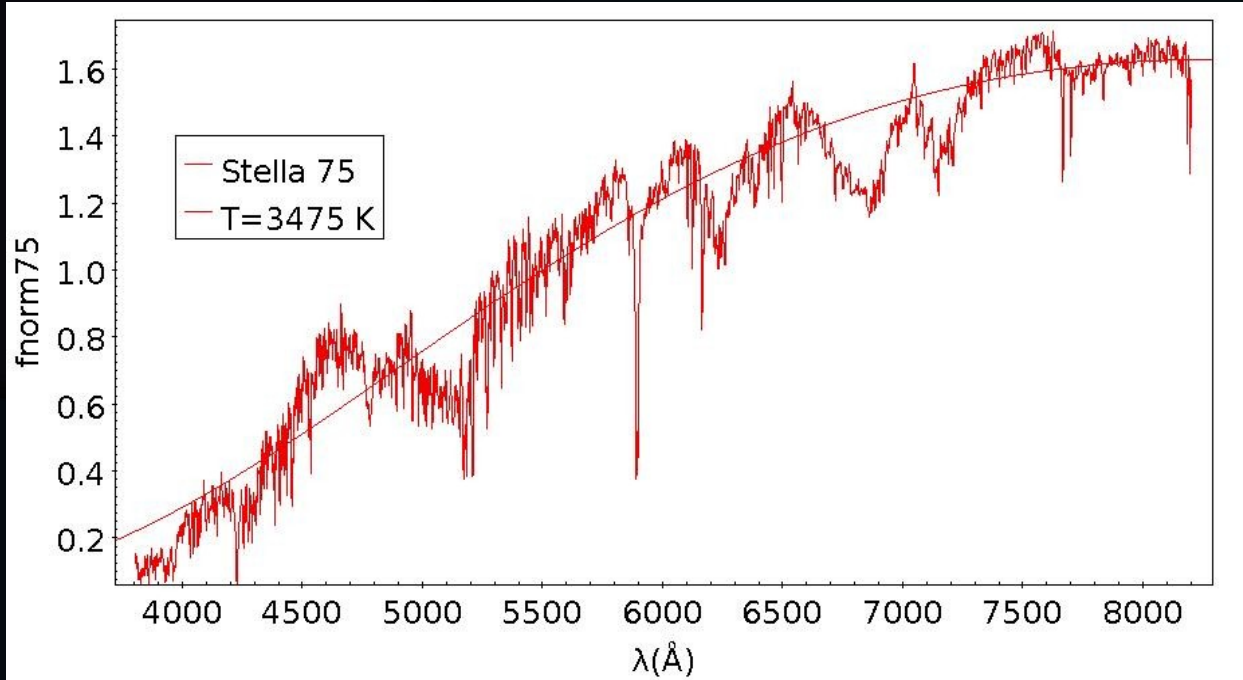
STELLA 49, CLASSE "G2"



STELLA 92, CLASSE “K3”



STELLA 75, CLASSE “M0”



CLASSIFICAZIONE DIAGRAMMA

